

```

In[3]:= grad = {D[foo[x, y], x], D[foo[x, y], y]}
           dérivée d           dérivée d

```

$$\text{Out[3]}= \{1 - x^2 - y, -x - 2 y\}$$

```

In[4]:= candidats = {x, y} /. Solve[{foo[x, y] == 1.0, 1 - x^2 - y == 0}, {x, y}] // N // Chop
           résous          vale.. remplac

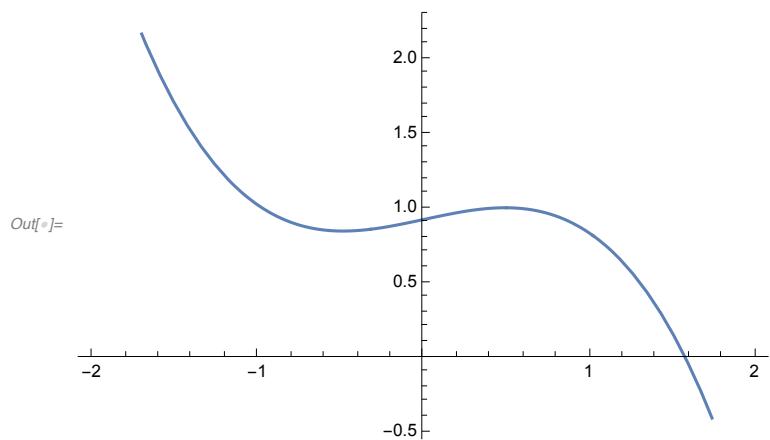
```

Solve: Solve was unable to solve the system with inexact coefficients. The answer was obtained by solving a corresponding exact system and numericizing the result.

$$\text{Out[4]}= \{ \{-0.872795, 0.238228\}, \{-0.677486, 0.541013\}, \\ \{0.4895, 0.76039\}, \{1.72745, -1.98408\} \}$$

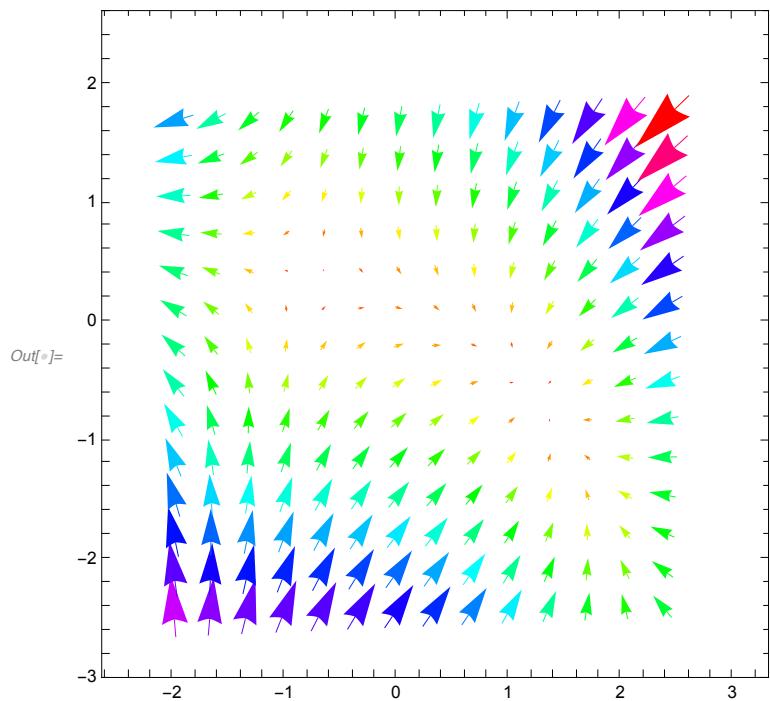
```
Plot[foo[x, 0.76039], {x, -2, 2}]


```

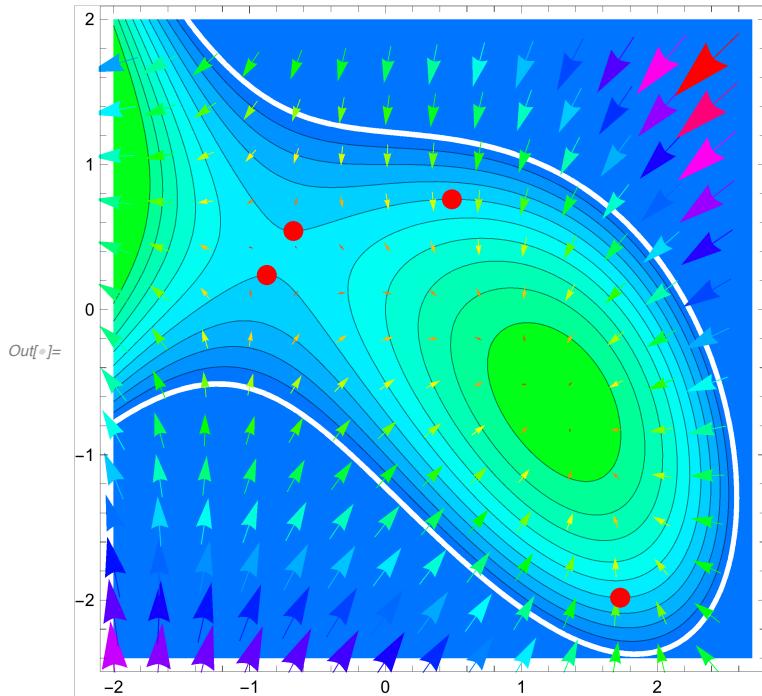


```
In[ $\circ$ ] := champ = VectorPlot[grad, {x, -2, 2.7},


```



In[[®]]:= Show[relief, champ, Graphics[{PointSize[.03], Red, Point/@ candidats}]]
 |montrer |graphique |taille des points |rouge |point



In[[®]]:= foo[1, 0]

$$\text{Out}[[®]]= \frac{13}{6}$$

In[[®]]:= grad /. {x → 1, y → 0}

$$\text{Out}[[®]]= \{0, -1\}$$

In[[®]]:= Ptgt = (foo[1, 0] + {0, -1}).{x - 1, y - 0})

$$\text{Out}[[®]]= \frac{13}{6} - y$$

In[[®]]:= vecteur = Graphics3D[
 |graphique 3d

$$\left\{\text{Red, Arrowheads[0.1], Arrow}\left[\text{Tube}\left[\left\{\left\{1, 0, \frac{13}{6}\right\}, \left\{1, .85, \frac{13}{6} - .85\right\}\right\}, .03\right]\right]\right\};$$

|rouge |têtes de flèche |flèche |tube

In[6]:= Plot3D[$\left\{ \frac{13}{6} - y, \text{foo}[x, y] \right\}, \{x, .0, 2\}, \{y, -.9, .9\}, \text{AspectRatio} \rightarrow 1,$
|tracé de surfaces |rapport d'aspect

PlotStyle → { {Blue, Opacity[.5]}, Green}, AxesLabel → {"x", "y"}] ;
|style de tracé |bleu |opacité |vert |titre d'axe

Show[% , vecteur]

|montre

